

Boots-Unichem

Merger Analysis in Locally Segmented Retail Markets

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Plan of Talk

- Horizontal (unilateral) effects analysis in geographically segmented markets
 - Market analysis on national or local level?
 - Measures of local market power?
- Vertical effects arising from retailers' control over access to local markets
 - Extent of buyer power? Implications?

Horizontal Analysis: National vs. Local

- National market shares uninformative with segmented and heterogeneous markets.
- But to what extent is a pure local analysis informative if there is no perfect “flexing” (in PQRS)?
- Suppose:
 - Local market with merger from $N=2$ to $N=1$.
 - Predicted local price increase 100%, but observed flexing 5%.
 - Does this invalidate the underlying approach?

NO!

Local Analysis under Non-Flexing

- Without flexing, uniform price level determined by conditions in all markets:

- Firm A maximizes $(p_A - c_A) \sum_{n \in N_A} D_n(p_A, p_-)$

- This yields with $w_n = D_n/D$ the FOC $\frac{p_A - c_A}{p_A} = \frac{1}{\sum_{n \in N_A} [\varepsilon_n w_n]}$

Local Analysis under Non-Flexing

- With heterogeneous markets, both pre- and post-merger local FOCs will sometimes be “slack”.

– Formally

$$\frac{p_A - c_A}{p_A} < \frac{1}{\varepsilon_n}$$

- Do not take this as prediction of a price increase in a particular local market,
- but as a measure for how much *overall* constraint is relaxed!

Local Analysis under Non-Flexing

- Should then not 5 reductions from “4 to 3” have more weight than 1 from “3 to 2”?
- Ignores second key aspect of “significance”: Error?
- In sum: Even in the absence of flexing, conducting locally a “standard analysis”
 - correctly identifies relaxation of constraint
 - and places right emphasis on “significance”.

Measuring Local Market Power

- Two issues of particular interest:
 - The (additional) use of market share information.
 - The use of diversion ratios.
- Diversion ratios from survey evidence
- Not without criticism:
 - E.g., that average consumer is not marginal consumer.
 - In addition, also “inframarginal” consumers impose constraints due to multi-unit purchases.

The Use of Diversion Ratios

- A and B merge. Take (normalized) linear demand

$$q_B = a_B - p_B + d_{AB}p_A + d_{BC}p_C.$$

- Holding price of C constant, predicted % price increase

$$\Delta p = m \frac{d}{2(1-d)}.$$

The Use of Diversion Ratios

- First guess or “consistency check” with (adjusted) market shares $d=1/(N-1)$?
- Problem:
 - “Total diversion ratio” is smaller than one.
 - Precise formula: Strictly lower

$$d = \frac{\gamma}{1 + \gamma(N - 2)}.$$

The Use of Diversion Ratios

- Consider also “total diversion ratio” in market.
- If $\delta_{AB} + \delta_{AC} = 1$ observed, then “error”

$$\frac{\delta_{AB}}{d_{AB}} = \frac{1 + \gamma_{BC}^2}{\gamma_{AB} + \gamma_{AC}} > 1.$$

The Use of Diversion Ratios

- Example 1: Margin of error?
 - $N=5$, $c=0.5$, $\alpha=1$, $\gamma=0.4$
 - Generates $m=17\%$ and own-price elasticity of 0.73.
 - If *model* was right, predicted price increase would be 11%.
 - Setting d equal to observed $\delta=1/4$ yields 17%.

The Use of Diversion Ratios

- Example 2: Consistency check
 - $N=5$, $d=24\%$, $m=20\%$. Predicts increase of 3.1%.
 - Back out $\gamma=0.86$.
 - Only consistent with own-price elasticity of 1.1

$$\frac{p - c}{p} = 20\%,$$

$$p = \alpha - q[1 + \gamma(N - 1)],$$

$$p = \frac{\alpha(1 - \gamma) + c[1 + \gamma(N - 2)]}{2 + \gamma(N - 3)}.$$

The Use of Diversion Ratios

- Flexible alternative under “full coverage” ($d_{AB} + d_{AC} = 1$).
- Group consumers wrt “1st/2nd best choice”: M_{nm} .
- Each “submarket” modelled a la Hotelling.
- Diversion ratios depend on M_{nm} *and* location of “critical types” x_{nm} .

Market Shares (and Diversion Ratios)

- (A,B) merge, C potentially larger (lower “marg. costs”).
- Observation 1: Diversion ratio can be $>1/2$.
- Approach 1: Take symmetric formula with right m,d.
- Approach 2: Take into account asymmetries (reflected in market shares).
- Finding: Approach 1 overstates merger impact.

Vertical Analysis

- Controlling access to local markets
 - Extent of buyer power?
 - Competitive harm arising from buyer power?
- Extent of buyer power?
 - Inderst/Mazzarotto 2006
 - Empirical work on drugs (e.g., Ellison/Snyder 2002)

Consequences of the Exercise of BP

- Suppliers: Market structure, variety, R&D etc.
 - Concerns.
 - But these are often (theoretically) not well founded.
- Other retailers: “Waterbed effect”
 - No concerns?

Waterbed Effect

- Common criticism: No “logical foundation”.
- But:
 - Suppose A gets additional discount. Partially passed on.
 - Reduces share and volume of B.
 - *If* discounts are related to size, then B’s purchase price up.
- Elaborations:
 1. A gets discount based on past growth (acquisitions / organic).
 2. Amplification via adjustment of upstream/wholesale markets.

Waterbed Effect

- Consumer harm?
- In the “simplest possible” model that generates size-related discounts, this is the case if

$$m_I \frac{2 - m_I}{1 + m_I} < \frac{1}{3t} w_I.$$

- with t from Hotelling model,
- w_I the wholesale price of an independent retailer
- and m_I the local market share of an independent retailer.

Key Points

1. Absence of (full) flexing does not invalidate local competitive analysis!
 - “Overall” constraint. “Statistical” significance per market.
2. Diversion ratios and market shares
 - “Aggregate diversion ratio”.
 - Suitable models that allow joint use of diversion ratios and market shares.
3. Waterbed effect
 - Issue is not logical consistency, but sign of overall impact!

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