### **Designing Efficient Education and Tax Policies**

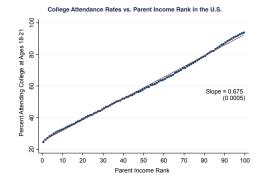
#### Sebastian Findeisen<sup>1</sup> Dominik Sachs<sup>2</sup>

<sup>1</sup>University of Mannheim

<sup>2</sup>CGS, University of Cologne

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SEEK Conference 2014

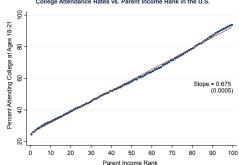


Source: Chetty, Hendren, Kline and Saez (2014)

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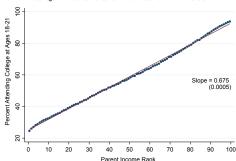
College Attendance Rates vs. Parent Income Rank in the U.S.

#### Need-based financial college aid promotes social mobility.

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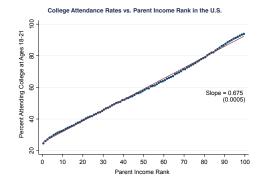
College Attendance Rates vs. Parent Income Rank in the U.S.

How costly are such policies? How large is the equity-efficiency trade-off?

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This Paper: There is no equity-efficiency trade-off

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- Public Economics: Yes, because of a *fiscal externality* 
  - Bovenberg & Jacobs (2005): Subsidies counteract tax distortions on human capital margin

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- Flipside of this argument: taxes might create undesirable distortions on education margin because returns are partly taxed away

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 $\Rightarrow$  But there is empirical evidence on the responsiveness of college enrollment with respect to grants & subsidies

 Our Contribution: Asses excess burden of taxes on college enrollment within an empirically plausible model

- An increase in education subsidies to all college students could be self-financing to a large extent
  - □ A \$1 increase in universal (tuition) subsidy triggers a \$0.98 increase in future tax revenue (NPV)

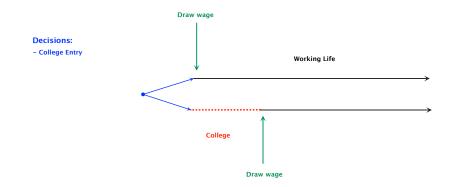
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    → Need based policies efficient large potential for Pareto
    - $\Rightarrow$  Need-based policies efficient, large potential for Pareto improvements

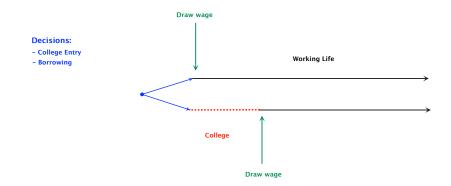
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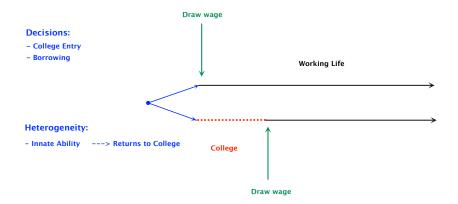
improvements

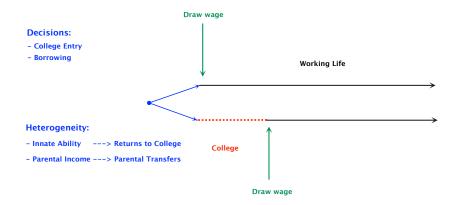
These results rest on one simple formula!

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    - improvements
- Income taxes: small importance of college graduation for tax design
   Diamond-Saez result for optimal income taxes barely affected by endogeneity of college graduation.

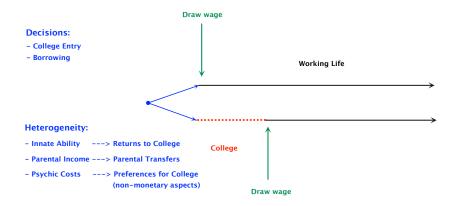








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Ex-ante, individuals differ in

- 1. Innate ability  $\theta \in [\underline{\theta}, \overline{\theta}] \sim F(\theta)$ .
- 2. Parental Income  $\mathcal{I} \in R_+ \sim K_{\theta}(\mathcal{I})$
- 3. Psychic Costs of going to college  $\kappa \in [\underline{\kappa}, \overline{\kappa}] \sim H_{\theta, \mathcal{I}}(\kappa)$
- 4. When individuals enter the labor market, they draw a wage  $\omega\in[\underline{\omega},\overline{\omega}]$  from
  - $\hfill\square\ G^{hs}_{\theta}(\omega)$  when they are high school graduates
  - $\hfill\square\ G^{co}_{\theta}(\omega)$  when they are college graduates

# **College Decision**

■ Value function of going to college and high school are given by:  $V_{co}(\theta, \mathcal{I})$  and  $V_{hs}(\theta, \mathcal{I})$ .

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$$V_{co}(\theta, \mathcal{I}) - \kappa \ge V_{hs}(\theta, \mathcal{I}).$$

 $\blacksquare$  For each type  $(\theta,\mathcal{I}),$  we can define a threshold

$$\tilde{\kappa}(\theta, \mathcal{I}) = V_{co}(\theta, \mathcal{I}) - V_{hs}(\theta, \mathcal{I})$$

such that individuals of type  $(\theta, \mathcal{I}, \kappa)$  (don't) go to college whenever  $\kappa < (>)\tilde{\kappa}(\theta, \mathcal{I}).$ 

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#### Assumptions Parameters & Current Policies

Utility function

$$U = \frac{1}{1 - \gamma} \left( C - \frac{\left(\frac{y}{w}\right)^{1 + \varepsilon}}{1 + \varepsilon} \right)^{1 - \gamma}$$

with  $\gamma=2$  and  $\varepsilon=3$ 

■ Years of College 4 and overall life 48 years

• 
$$R = 1.04$$
 and  $\beta = \frac{1}{R}$ 

■ Parametric income tax approximation from Guner et al. (2013, RED)

- Take weighted averages for year 2002 for 4 regions (northeast, northcentral, south, west)
- Borrowing maximum is \$23,000 (Stafford Loan Maximum in year 2002)

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Model

- Data: NLSY ⇒ Ability measures (AFQT) and parental transfers
- **Step 1:** Estimate  $G^{hs}_{\theta}(\omega)$  and  $G^{co}_{\theta}(\omega)$
- **Step 2:** Estimate  $tr_{hs}(\mathcal{I})$  and  $tr_{co}(\mathcal{I})$
- **Step 3:** Estimate  $\mathcal{G}(\theta, \mathcal{I}, X)$
- **Step 4:** Calculate  $V_{co}(\theta, \mathcal{I})$  and  $V_{hs}(\theta, \mathcal{I})$
- **Step 5:** Estimate the distributions  $H_{\theta,\mathcal{I}}(\kappa)$  with Maximum Likelihood

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- Data: NLSY ⇒ Ability measures (AFQT) and parental transfers
- Step 1: Estimate G<sup>hs</sup><sub>θ</sub>(ω) and G<sup>co</sup><sub>θ</sub>(ω) Rather standard. Regress income on innate ability and college. Based on that calibrate wages as in Saez (2001).
- **Step 2:** Estimate  $tr_{hs}(\mathcal{I})$  and  $tr_{co}(\mathcal{I})$
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- Step 2: Estimate  $tr_{hs}(\mathcal{I})$  and  $tr_{co}(\mathcal{I})$ Regress transfers on parental income, education and controls. Result: college students on average receive 40% more of parental transfers.
- **Step 3:** Estimate  $\mathcal{G}(\theta, \mathcal{I}, X)$
- **Step 4:** Calculate  $V_{co}(\theta, \mathcal{I})$  and  $V_{hs}(\theta, \mathcal{I})$
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- Step 3: Estimate G(θ, I, X)
   Grants increase in ability, decrease in parental income and are higher for blacks
- **Step 4:** Calculate  $V_{co}(\theta, \mathcal{I})$  and  $V_{hs}(\theta, \mathcal{I})$
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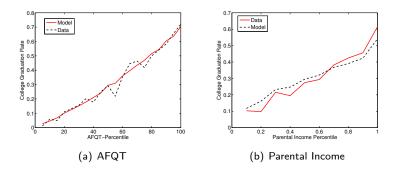
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- **Step 4:** Calculate  $V_{co}(\theta, \mathcal{I})$  and  $V_{hs}(\theta, \mathcal{I})$ Directly follows from parameter assumptions, 1., 2. and 3.
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Step 5: Estimate the distributions H<sub>θ,I</sub>(κ) with Maximum Likelihood
 Use Probit model. Take parental education and AFQT as determinant of psychic costs

### **Model Performance**



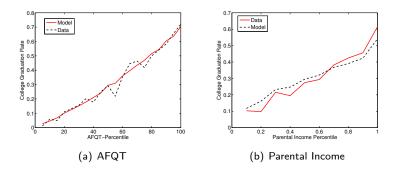
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### **Model Performance**



Replication of Natural Experiment: \$1,000 increase in grants
 Literature: 1.2-2.4 percentage points increase in BA-completion
 Our model: 1.9%

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$$\gamma_R^{\mathcal{G}} = \frac{\Delta \bar{e} \Delta \bar{\mathcal{T}}}{G^{co}} - 1.$$

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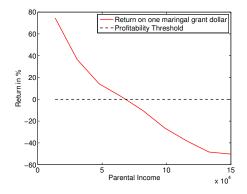
Estimation & Parameterization

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 $\bullet \ \gamma_R^{\mathcal{G}} = -0.02$ 

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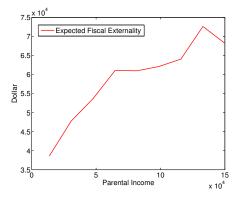
- Returns up to 70%
- What drives this result?  $\Delta \overline{T}$ ?  $\Delta \overline{e}$ ?  $G^{co}$ ?

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### Result 2 Need-Based Financial Aid Efficient



 Returns to education for marginal students are (more or less) increasing in parental income

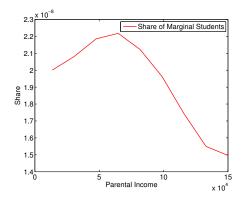
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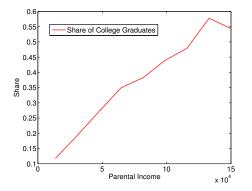
Responsiveness to subsidies hump-shaped

$$\gamma_R^{\mathcal{G}} = \frac{\Delta \bar{e} \Delta \mathcal{T}}{G^{co}} - 1.$$

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 Share of infra-marginal students heavily increasing (varies by factor of 6)

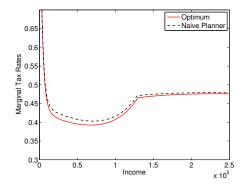
$$\gamma_R^{\mathcal{G}} = \frac{\Delta \bar{e} \Delta \bar{\mathcal{T}}}{G^{co}} - 1.$$

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### Result 3 Optimal Income Taxes Slightly Lower



 Optimal taxes only slightly affected by endogenous graduation. At maximum 1.4% points

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